Home Construction Financing and Search Frictions in the Housing Market

> Miroslav Gabrovski Victor Ortego-Marti U Hawaii Manoa UC Riverside

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- Financing/debt, very important for real estate development
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- Question: how do credit frictions faced by developers affect the housing market?
 - ▶ Prices, time-to-sell (TTS), sales, vacancies/houses for sale?

This paper

- Novel channel that links credit frictions faced by developers to housing market
- Search fictions in credit market, Wasmer Weill (2006) Gabrovski Ortego-Marti (2021)
 - ▶ Developers must secure financing for construction project
 - ▶ Costly, time consuming process
- Search frictions in housing market
 - ▶ Takes time to find/sell house
 - ▶ Entry of *both* buyers and sellers → upward-sloping Beveridge Curve (Gabrovski Ortego-Marti, 2019)

PREVIEW OF RESULTS

- Quantify the importance of credit channel
- Decompose
 - contribution of housing & credit shocks to recovery 2012-2019
 - vacancy costs into construction and financing
- Model able to match changes in vacancy rate & construction
- Counterfactual, shut down credit shock
 - ▶ Credit shocks larger effect on liquidity rel to prices

LITERATURE

Search and housing market

Wheaton (1990 JPE), Arnott (1989 JREFE), Burnside et al (2016 JPE), Caplin Leahy (2011 JMCB), Diaz Jerez (2013 IER), Gabrovski Ortego-Marti (2019 JET), Genesove Han (2012 JUE), Han et al (2021), Head et al (2014 AER), Kashiwagi (2014 RED), Kotova Zhang (2019), Krainer (2001 JUE), Ngai Tenreyro (2014 AER), Ngai Sheedy (2020 JEEA), Novymarx (2009 REE), Piazzesi Schneider Stroebel (2020 AER), Smith (2020 RED)

• Credit frictions and search

 den Haan et al (2003 JME) Dell'Ariccia Garibaldi (2005 REStud) Wasmer Weill (2006 AER) Petrosky-Nadeau Weill (2017) Hedlund Garriga (2020 AER) Gabrovski Ortego-Marti (2021 EER)

Environment

Time continuous

Agents, infinitely lived, risk-neutral

- ▶ Households: homeowners, buyers, idle (don't participate)
- ▶ Developers
- ▶ Financiers
- Real estate agents
- \blacksquare Discount future at rate r

Credit Market

- \blacksquare Developers \rightarrow build house at cost k
- Credit frictions: developers must secure financing from financier
- Search & matching frictions
 - ▶ Wasmer Weil (2007) Gabrovski Ortego-Marti (2021)
 - Supported empirically, den Haan et al (2003), Dell'Ariccia Garibaldi (2005)
- Once match formed
 - \blacktriangleright Financier covers cost k
 - ▶ Developer pays financing fee ρ until house sold
 - $\blacktriangleright~$ Sale \rightarrow developer repays loan principal k

Credit Market

 \blacksquare Financing fee ρ determined by Nash Bargaining

- \blacktriangleright Bargaining strength developer: η
- Free entry
 - ▶ Developers
 - ▶ Financiers
- Flow costs
 - Developers: c^D Financiers: c^F

CREDIT MARKET: MATCHING

- \blacksquare Developers: $\mathcal D$
- \blacksquare Financiers: ${\cal F}$
- Matching function (Pissarides, 2000)
 - ▶ Matches: $M^C(\mathcal{D}, \mathcal{F})$
 - ▶ Satisfies usual properties
- Market tightness, credit market: $\phi = \mathcal{D}/\mathcal{F}$
- Finding rates

• Developers:
$$q(\phi) \equiv \frac{M^C(\mathcal{D},\mathcal{F})}{\mathcal{D}}$$

► Financiers:
$$\phi q(\phi) \equiv \frac{M^C(\mathcal{D}, \mathcal{F})}{\mathcal{F}}$$

- Search & matching frictions
- Matching function $M^H(b, v)$
 - \blacktriangleright Buyers: b
 - \blacktriangleright Sellers/vacancies: v
- Housing market tightness $\theta = b/v$
- Finding rates

► buyers:
$$m(\theta) = M^H(b, v)/b$$

► sellers: $\theta m(\theta) = M^H(b, v)/b$

- \blacksquare Separation shock at exogenous rate s
- Houses destroyed at rate δ (depreciation)

Buyers search for houses using a realtor

▶ Profit max ⇒ buyers' search cost: $c^B(b) = \bar{c}b^{\gamma}$

- Free entry of buyers
 - Matches stylized facts housing market (Gabrovski Ortego-Marti, 2019)

Sellers

- **Existing** house \rightarrow from homeowner separations
- ▶ New house \rightarrow newly built house (free entry)
- Houses are identical
- Vacancy posting costs: c^S

- Prices determined by Nash Bargaining
 - \blacktriangleright assume bargaining sequential, take financial contract ρ as given
- Price of existing house: p^E
- Price if new house: p^N
- Distribution of houses: π fraction of existing
- \blacksquare Seller bargaining strength: β

Bellman Equations: Developers & Financiers

- Stage 0: search in credit market
- Stage 1: active lending arrangement, dev searches for buyer
- \bullet V₀, V₁: Value developer, stages 1, 0
- F_0, F_1 : Value financier, stages 1, 0

$$rV_{0} = -c^{D} + q(\phi)(V_{1} - V_{0})$$

$$rF_{0} = -c^{F} + \phi q(\phi)(F_{1} - k - F_{0})$$

$$(r + \delta)V_{1} = -\rho - c^{D} + \theta m(\theta)(p^{N} - k - V_{1})$$

$$(r + \delta)F_{1} = \rho - c^{F} + \theta m(\theta)(k - F_{1})$$

Bellman Equations: Seller, existing house

• V^E : value of existing house vacancy

$$(r+\delta)V^E = -c^S + \theta m(\theta)(p^E - V^E).$$

Bellman Equations: Households

 \blacksquare *H*: Value household

 \blacksquare B: Value buyer

$$(r+\delta)H = \varepsilon + s(V^E + \max\{B,0\} - H)$$

$$rB = \max\{0, -c^B(b) + m(\theta)[\pi(H - p^E - B) + (1 - \pi)(H - p^N - B)]$$

Equilibrium Summary

Key ingredients

- ▶ Free entry developers, financiers, buyers
- ▶ Bargaining over prices, credit & housing
- ▶ Distribution: new vs existing houses

ENTRY IN CREDIT MARKET

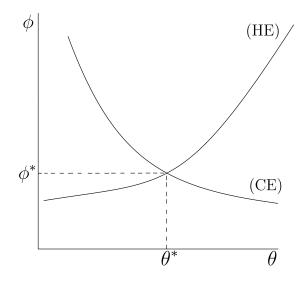
■ Free entry, financiers & developers

- ▶ Housing Entry (HE) condition, $V_0 = 0$
- ▶ Credit Entry (CE) condition, $F_0 = 0$

HE:
$$\frac{c^D}{q(\phi)} = \eta \left(\frac{-c^F - c^D + \theta m(\theta) p^N}{r + \delta + \theta m(\theta)} - k \right)$$

CE: $\frac{c^F}{\phi q(\phi)} = (1 - \eta) \left(\frac{-c^F - c^D + \theta m(\theta) p^N}{r + \delta + \theta m(\theta)} - k \right)$

Equilibrium tightnesses ϕ^*, θ^*

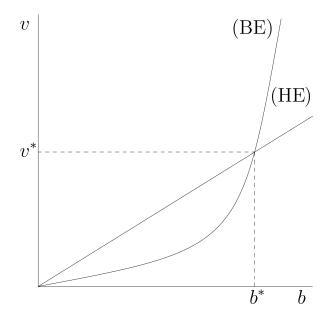


ENTRY OF BUYERS

• Free entry buyers, B = 0

$$\frac{c^B(b)}{m(\theta)} = (1-\beta)[\pi(H-V^E) + (1-\pi)(H-k-V_1^N)]$$

Equilibrium buyers b^* , vacancies v^*



BARGAINING, CREDIT MARKET

■ Bargaining \Rightarrow Repayment (RR) condition

RR:
$$\phi = \frac{\eta}{1-\eta} \frac{c^F}{c^D}$$

■ Alternatively, NB implies

$$\rho = (r+\delta)k + c^F + \frac{1-\eta}{\eta}(r+\delta+\theta m(\theta))\frac{c^D}{q(\phi)}$$

BARGAINING, HOUSING MARKET



$$p^{E} = \beta H + (1 - \beta)V^{E}$$
$$p^{N} = \beta H + (1 - \beta)\left(k + \frac{c^{D}}{q(\phi)}\right)$$

DISTRIBUTIONS

■ From laws of motion, in steady state

$$\pi = \frac{s\theta m(\theta)}{(s+\delta)(\delta+\theta m(\theta))}$$
$$h = \frac{bm(\theta)}{s+\delta}$$

QUANTITATIVE RESULTS

- Novel channel that links credit frictions to the housing market through the liquidity constraints faced by real estate developers
- Quantitative importance of this channel?
- Relative contribution of housing and credit market shocks to observed housing market recovery in US, 2012–2019?

QUANTITATIVE RESULTS

- Use series on
 - ► Prices
 - ▶ Time-to-sell (TTS)
 - ▶ Construction costs
 - ▶ Fraction existing houses
- Shocks
 - ▶ Utility ε
 - \blacktriangleright Construction cost k
 - ▶ Search costs c^D
 - \blacktriangleright Separations s

CALIBRATION

Parameter	Value	Source/Target	
r	0.0086	Annual interest rate= 3.5%	
ε	1	Normalization	
α	0.16	Genesove Han (2012)	
$lpha_f$	0.5	TTB=TTS	
δ	0.004	Van Nieuwerburgh Weill (2010)	
s	0.0238	Tenure $= 9$ years	
μ	0.7129	TTS = 1.4027 quarters	
μ_f	0.0318	Equilibrium conditions	
c^{S}	0.959	Average seller $cost = 2\%$ of price	
c^D	3.4185	Average buyer $cost = 8\%$ of price	
c^F	0.0648	Moody's AAA-Treasury Bill spread	
eta	0.5		
η	0.5		
k	14.019	Debt-to-equity ratio 94.7%	
$ar{c}$	0.1	Normalization	

Empirical Facts

Series	Percentage Change
Prices	44.82%
Time to Sell	-30.13%
Construction Costs	44.94%
Sales	22.17%
Construction	66.76%
Vacancy Rate	-34.35%
Existing to Total Home Sales	-4.6%

Size of Calibrated Shocks

Variable	Percentage Change	Target Series Percentage Change
ε	35.97%	Prices
k	44.94%	Construction costs
c^D	106.3%	Time-to-sell
s	-25.77%	Existing to Total Home Sales

UNTARGETED DATA MOMENTS

Moment	% Change Data	% Change Model
Construction	66.76%	52.81%
Vacancy Rate	-34.35%	-44.6%

THE IMPORTANCE OF CREDIT SHOCKS: COUNTERFACTUALS

Variable	Price	TTS	Construction	Vacancy Rate	
Counterfactual Change	23.69%	119.34%	235.78%	66.53%	
No Change in Separation Shock, s					
Variable	Price	TTS	Construction	Vacancy Rate	
Counterfactual Change	44.87%	-36.06%	-5.33%	-35.19%	
Variable	Price	TTS	Construction	Vacancy Rate	
Data	44.82%	-30.13%	66.76%	-34.35%	

CONCLUSION

- Novel channel that links credit frictions faced by developers to housing market
 - ▶ Search frictions in credit & housing markets
 - ▶ Free entry
 - ▶ Bargaining over prices
- Model matches well housing market recovery 2012-2019
- Quantify the importance of credit channel
 - ▶ Credit shocks larger effect on liquidity rel to prices